



Introduction:

Our goal is to capture human body motion under changing lighting conditions in a multiview setup.

Actor Model:

We augment the highly simplified *BlobTracker* human model introduced by [Stoll et al.] with a textured mesh (automatically skinned to the skeleton) with labeled materials.



Pose Tracking:

Goal: Run our augmented *BlobTracker* approach taking as input optimal illumination-invariant material segmentations (with influence w_s) as well as **2D joint detections** (w_d) to robustly estimate the body motion.



- Key idea: design an iterative approach to alternatively estimate materials and body pose using temporal cues.
- Adaptive weighting (w_s, w_d) : temporally measure the quality of material segmentations (*e.g.* abrupt changes) and scale down/up relevance for tracking accordingly.

[BlobTracker]: C. Stoll, N. Hasler, J. Gall, H. P. Seidel, and C. Theobalt. Fast articulated motion tracking using a sums of Gaussians body model. In ICCV, 2011

Illumination-invariant Robust Multiview 3D Human Motion Capture Nadia Robertini, Florian Bernard, Weipeng Xu, Christian Theobalt MPI for Informatics, Intel VCI (Saarbruecken, Germany)

Lighting-Invariant Segmentation:

Goal: obtain temporally and spatially consistent material segmentations, which are invariant from background complexity and appearance changes due to light, to feed to [Stoll et al.].



Input view

Appearance Costs

Graph-cut Energy: cost of assigning material label ℓ_i to pixel $i, \forall i \in$ *I* (each frame/view is solved independently):

$$E(\ell) = \sum_{i=1}^{|l|} [E_{i}^{p}(\ell_{i}) * E_{i}^{a}(\ell_{i})] + \sum_{i \sim j} E_{ij}$$

- **Pose Costs**: sample 50 random poses from a Gaussian distribution around the current pose prediction P^t based on previous P^{t-1} , P^{t-2} : $E_i^p(\ell_i) = 1 - H_{\ell_i}(x_i)$
- **Appearance Costs**: *Mahalanobis* distance between pixels and labels: $E_{i}^{a}(\ell_{i}) = (\Phi(\mathbf{x}_{i}) - \mu_{\ell})^{T} C_{\ell}^{-1}(\Phi(\mathbf{x}_{i}) - \mu_{\ell})$
- Feature image $\Phi(x_i) = [sin(h_{x_i}), cos(h_{x_i}), s_{x_i}]$
- Background feature $\Phi_{BG}(x_i) = [\Phi(x)^T, E_i^a(\ell_1), \dots, E_i^a(\ell_{L-1})]$
- Material **geometric median** μ_{ℓ} and **covariance** C_{ℓ} on the pose predicted locations $X_{\ell} = \{x_i | H_{\ell_i}(x_i) > t\}$:

$$u_{\boldsymbol{\ell}} = \underset{\boldsymbol{y}}{\operatorname{argmin}} \sum_{\boldsymbol{x} \in \mathbf{X}_{\boldsymbol{\ell}}} ||\boldsymbol{x} - \boldsymbol{y}||_{2}, \, \boldsymbol{\ell}_{\boldsymbol{\ell}} = \frac{1}{|\mathbf{X}_{\boldsymbol{\ell}}| - 1} \sum_{\boldsymbol{x} \in \mathbf{X}_{\boldsymbol{\ell}}} (\boldsymbol{x})$$

Smoothness: neighboring pixels with similar color have similar materials:

$$E_{ij}(\ell_i, \ell_j) = \exp\left(\frac{\left|\left|I(x_i) - I(x_j)\right|\right|_2^2}{2}\right)\min(1, \ell_j)$$







Input Init. Guess Output

$_{i}(\ell_{i},\ell_{j})$

Segmentation

 $(x - \mu_\ell)(x - \mu_\ell)^T$

, $|\ell_i - \ell_j|$)

Results:

> Our quantitative and qualitative results evidence that our approach accurately tracks the human pose and outperforms the existing methods.



